

COMPSCI 389 Introduction to Machine Learning

Days: Tu/Th. Time: 2:30 – 3:45 Building: Morrill 2 Room: 222

Topic 10.4: Introduction to PyTorch Prof. Philip S. Thomas (pthomas@cs.umass.edu) Note: This presentation covers (and provides additional context/information regarding) 10.5 Introduction to PyTorch.ipynb

Autograd

- Can be slow because it executes Python code.
- Is designed for differentiating arbitrary code
 - It does not have extra functionality for machine learning

Deep Learning Libraries

- There are many deep learning libraries that extend autograd to:
 - Leverage low-level compiled code for faster runtimes.
 - Enable forward and backwards passes on the GPU rather than CPU (more on this later).
 - Have built-in implementations of
 - Common loss functions
 - Common activation functions
 - Common network layers
 - Fully connected feed-forward
 - Convolutional layers
 - Pooling layers
 - Etc.

Deep Learning Libraries

• PyTorch

- The most commonly used today.
- What we will use in class.
- Tensorflow
 - Produced and maintained by Google
 - Integrates nicely with Google's cloud computing platforms
 - Steeper learning curve and more verbose syntax
- Keras, Caffe, MXNet, etc.
 - Many less popular alternatives

PyTorch

You can install PyTorch with:

pip install torch torchvision

We will use the following imports:

Defining a Neural Network Architecture Defining a Parametric Model

- Extend the nn.Module base class
 - The base class provides functionality for tracking trainable parameters (and their gradients), moving parameters to the GPU, saving and loading models, etc.
- Implement two functions:
 - <u>init</u> (self): Define the different layers (number of units, number of inputs) and different activation functions that will be used.
 - forward(self, x): Perform a forward pass on input x.
- You do not need to implement any gradients or the backwards pass!
 - PyTorch uses reverse mode automatic differentiation to automatically compute gradients.

Note: This model is bigger than needed for the GPA prediction problem. This allows us to more easily compare runtimes later, and to show a phenomenon called "overfitting".

```
class FullyConnectedNetwork(nn.Module):
   def __init__(self):
       # First call the nn.Module constructor to initialize other parts of the model. Always do this first.
       super(FullyConnectedNetwork, self).__init__()
       # Define layers. The lines below create the layers (memory is allocated for the weights here).
       self.fc1 = nn.Linear(9, 1024) # First hidden layer with 1024 neurons and 9 inputs.
       self.fc2 = nn.Linear(1024, 512) # Second hidden layer with 512 neurons and 1024 inputs.
       self.fc3 = nn.Linear(512, 128) # Third hidden layer with 128 neurons and 512 inputs.
       self.fc4 = nn.Linear(128, 1) # Output layer with 1 neuron and 128 inputs.
                                                    nn.Linear represents a linear
       # Define activation function.
       self.relu = nn.ReLU()
                                                    parametric model with no basis.
                                                    That is, a perceptron without an
   def forward(self, x):
                                                    activation function.
       # Pass data through the network
       x = self.relu(self.fc1(x))
       x = self.relu(self.fc2(x))
       x = self.relu(self.fc3(x))
       x = self.fc4(x)
                                       # No activation after the output layer
       return x
```

We can now create an instance of this model:

```
# Create an instance of the network
net = FullyConnectedNetwork()
```

The network structure is printed as a sanity check
print(net)

FullyConnectedNetwork(

```
(fc1): Linear(in_features=9, out_features=1024, bias=True)
```

```
(fc2): Linear(in_features=1024, out_features=512, bias=True)
```

```
(fc3): Linear(in_features=512, out_features=128, bias=True)
```

```
(fc4): Linear(in_features=128, out_features=1, bias=True)
```

(relu): ReLU()

bias=True indicates that each perceptron includes an extra feature that is always equal to 1 (and hence one extra weight beyond the number of outputs from the previous layer). This is what we discussed previously when we talked about appending a 1 to the columns of a data set to implement the "y-intercept" in linear regression. For perceptrons and neural networks, this extra weight is called the bias.

Next, let's load the GPA data, split it into training and testing, and standardize it. + Code + Markdown

```
df = pd.read_csv("https://people.cs.umass.edu/~pthomas/courses/COMPSCI_389_Spring2024/GPA.csv", delimiter=',')
#df = pd.read csv("data/GPA.csv", delimiter=',')
# We already loaded X and y, but do it again as a reminder
X = df.iloc[:, :-1]
y = df.iloc[:, -1]
# Split the data into training and testing sets
X train, X test, y train, y test = train test split(X, y, test size=0.2, shuffle=True)
# Standardize the features
scaler = StandardScaler()
X_train = scaler.fit_transform(X_train) # This sets the min/max values from the training data (without looking
X test = scaler.transform(X test) # This uses the min/max scaling values chosen during training! (transfo
```

Python

PyTorch has its own objects for storing data, called PyTorch tensors. These are simply multidimensional arrays. Let's convert our data to these tensor objects. Note that the **tensor** constructor is not compatible with **pandas.Series** objects, so we call **y_train.values** and **y_test.values** to convert these to **numpy.ndarray** objects.

```
# Convert data to PyTorch tensors
X_train_tensor = torch.tensor(X_train, dtype=torch.float32)
y_train_tensor = torch.tensor(y_train.values, dtype=torch.float32).view(-1,1)
X_test_tensor = torch.tensor(X_test, dtype=torch.float32)
y_test_tensor = torch.tensor(y_test.values, dtype=torch.float32).view(-1,1)
```

Loss Function

• PyTorch has many built-in loss functions, including MSE:

```
loss_function = nn.MSELoss()
```

Optimizer

- PyTorch has many built-in loss optimizers, including gradient descent (SGD), and Adam (SGD with a specific adaptive step size method).
 - Several optimizers are discussed in the Jupyter notebook.
 - Adam is the most common, and what we will use.

optimizer = optim.Adam(net.parameters())

net.parameters() contains the weights, and after backwards passes will also contain the gradient information. The optimizer uses this gradient information to update the weights.